

# STRIPS planning

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- A set of *operators*, where each operator has
  - a set of *parameters*
  - a set of *preconditions*
  - a set of *effects*, consisting of *add* effects and *delete* effects
- A set of *objects* to instantiate an operator's parameters
  - a fully instantiated operator is called an *action*
- A set of propositions representing the *initial state*
- A set of propositions representing the *goals*
- **Planning problem:** Find a sequence of actions that, starting in the initial state, achieve all the goals

# Simple Rocket domain

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- Figure 1 from Blum and Furst 1997

# Approaches to STRIPS planning

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- Search through the space of *world states*
  - *forward* search, *regression* search, *bidirectional* search, *means-ends* analysis, ...
- Search through the space of *plans*
  - *total order* planning or *partial order* planning
- Search through a *planning graph*

# Graphplan

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- Construct a graph that represents all valid plans up to a maximum length
- Search the graph for a valid plan

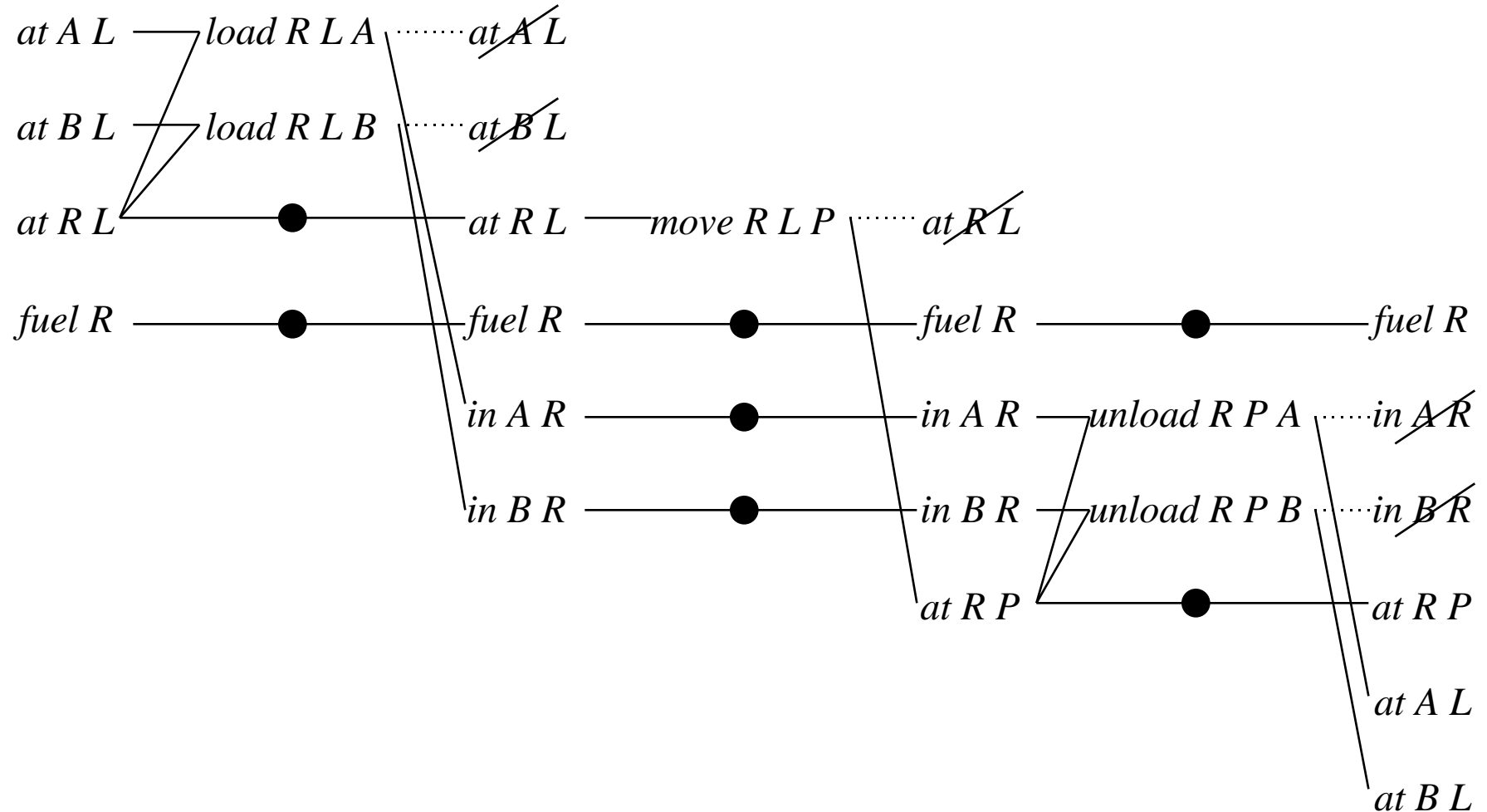
# Valid plans in Graphplan

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*A valid plan is*

- A set of actions
  - includes special *no-op* or *frame* actions
- Specified times for each action
  - actions at the same time don't *interfere* with each other
- Preconditions of actions at time 1 must be in the initial state
- Preconditions of actions at time  $t > 1$  must be made true by the plan at time  $t$ 
  - propositions true at time  $t > 1$  are the effects of actions at time  $t-1$
- Goals are true at the final time step

# A valid plan for a Rocket problem



# Planning graphs

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- Like valid plans *without* the restriction that actions at the same time don't interfere with each other
- A planning graph is a leveled graph with
  - two kinds of nodes (propositions and actions)
    - alternates between proposition levels and action levels
  - three kinds of edges (preconditions, add effects, delete effects)
- An action is at action level  $i$  if all its preconditions are at proposition level  $i$
- A proposition is at proposition level  $i > 1$ , if it is an add effect of some action (including *no-op* actions) at level  $i-1$

# Planning graph for a Rocket problem

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- Figure 2 from Blum and Furst 1997



# Mutual exclusions

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- Two actions at the same level are mutually exclusive if no valid plan could possibly contain both of them
- Two propositions at the same level are mutually exclusive if no valid plan could possibly make them both true

# Propagating mutual exclusions

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- Two actions at the same level are mutually exclusive if
  - *Interference*: if either action deletes a precondition or add effect of the other
  - *Competing needs*: if a precondition of one action and a precondition of the other action are mutually exclusive
- Two propositions at the same level are mutually exclusive if
  - all ways of creating one proposition are exclusive of all ways of creating the other proposition

# Graphplan

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**function** *Graphplan*(*Ops*, *Objs*, *InitState*, *Goals*)

Initialize *G* with proposition level 1 using *InitState*

**for**  $i = 1$  incrementing by 1 **do**

**if** proposition level  $i$  contains all *Goals* **and**

        no two goals are mutually exclusive at level  $i$  **then**

        Search *G* for a valid plan to achieve *Goals*

**if** *G* contains a valid plan **then return** the plan

**endif**

    Augment *G* with action level  $i$  and proposition level  $i+1$

**if** *termination condition* is satisfied **then return** “no plan”

**endfor**

**end** *Graphplan*

# Size of the planning graph

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- **Theorem:** Consider a planning problem with  $n$  objects,  $p$  propositions in the initial state,  $m$  operators each having a constant number of parameters. Let  $l$  be the length of the longest add list. Then the size of a  $t$ -level planning graph, and the time needed to create the graph, are polynomial in  $n$ ,  $m$ ,  $p$ ,  $l$ , and  $t$ .

# Searching the graph for a valid plan

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```
function Solve-goals(goal-set, level)  
  if level == 1 then  
    if InitState    goal-set then return ({ })  
  else  
    if IsMemoized(goal-set, level) then return ()  
    new-actions = Select-actions(goal-set, { }, level)  
    if new-actions    () then  
      return new-actions  
    else  
      Memoize(goal-set, level)  
      return ()  
    endif  
  endif  
end Solve-goals
```

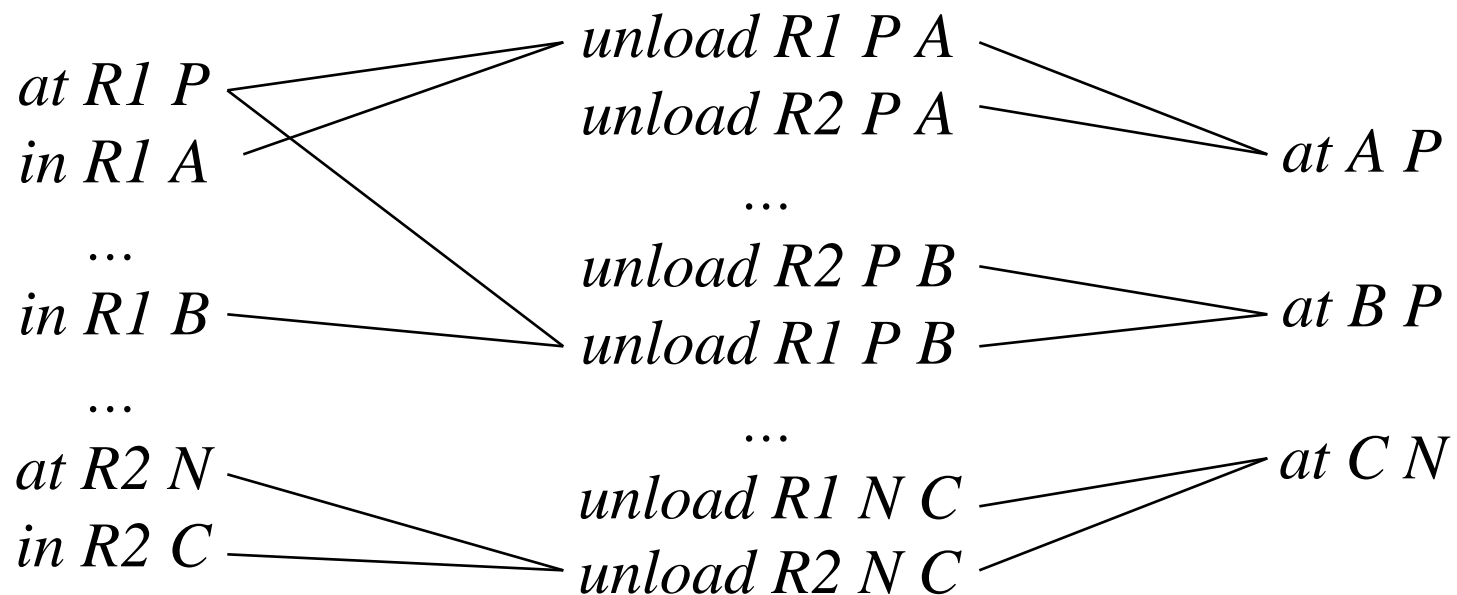
# Selecting actions at a given level

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```
function Select-actions(goal-set, actions, level)
  if goal-set = { } then
    return Solve-goals(preconditions(actions), level - 1)
  else
    goal = pop(goal-set)
    if goal achieved by some action in actions then
      return Select-actions(goal-set, actions, level)
    else
      for each action that achieves goal and
        not mutex with any action in actions do
        new-actions = Select-actions(goal-set, actions    {action}, level)
        if new-actions    () then return new-actions
      endfor
      return ()
    endif
  endif
```

# Example

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# Experimental results

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# Accounting for Graphplan's efficiency

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- Mutual exclusions
- Consideration of parallel plans
- Memoizing
- Low-level costs

# Leveling off

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- **Lemma:** If no valid plan exists, then there exists a proposition level  $P$  such that all future proposition levels are identical to  $P$ 
  - *i.e.*, contain the same propositions and mutual exclusions
  - graph is said to have *leveled off* after  $P$
- **Corollary:** No solution exists if
  - a goal does not appear in  $P$  or
  - $P$  has mutually exclusive goals

# Termination condition

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- Let  $S_i^t$  denote the set of memoized goal sets at level  $i$  after an unsuccessful stage  $t$
- **Theorem:** If the graph has leveled off at some level  $n$  and a stage  $t$  has passed in which  $|S_n^{t-1}| = |S_n^t|$ , then no valid plan exists